Solvent Effects on Transition States:

Analytical Model for Menschutkin reaction *Dr. Kalju Kahn, UCSB, 2008*

Menschutkin reaction involves the conversion of two neutral reagents (amine and haloalkane) into two charged products (cationic amine and halide anion). The reaction with primary amines as a nucleophile and chloride as a leaving group is very unfavorable in the gas phase and also faces a considerable activation barrier.

The reaction occurs in the solution and displays a large solvent effect. It would be interesting to test if modern QM/MM methodologies allow quantitative modeling of this reaction in different solutions. One of the first tasks in such QM/MM modeling is the determination of the geometry of the transition state in the solution. This task is considerably simplified if one has a good initial guess for the bond-making and bond-breaking distances in the transition state. Here the question arises: given the TS structure in the gas phase, how can one guess what a transition state in the solution looks like?

A qualitative insight into the effect of the solvent on the transition state structure can be gained from a simple analytical model in which the reactant and product potential energy wells are described by harmonic potentials. The *Mathematica* notebook below illustrates this approach.

We will start with the analysis of the gas phase reaction, then consider a solvent that interacts with the reactants and products equally well (e.g. apolar solvent such as cyclohexane for Menschutkin reactions) and finally look at the effect of a solvent that preferentially stabilizes the reaction products (e.g. a polar solvent, such as methanol for Menschutkin reaction)

Remove["Global`*"]

```
(* Define the potential, could be more complex that quadratic in principle *)
      quadratic := ax^2 + bx + c
      (* Reactant state is described by a quadratic potential (to model C-Cl stretching) *)
      rgas = quadratic /. {a \rightarrow 1, b \rightarrow 0, c \rightarrow 1};
      (* Product state is described by a quadratic potential (to model N-C stretching) *)
      pgas = quadratic /. {a \rightarrow 1, b \rightarrow -2, c \rightarrow 2.5};
      (* Plot the reactant state and product state potentials *)
      Plot[{rgas, pgas}, {x, -2, 2}, PlotRange \rightarrow {\{-2, 2\}, {0, 3}\}},
       PlotStyle \rightarrow {Black, Black, Blue, Blue}, Axes \rightarrow {True, True}]
                               3.0
                               2.5
                               2.0
                               1.5
                               1.0
                               0.5
      -2
                   -1
                                 0
                                              1
                                                           2
      (* Find stationary points; TS is at the intersection of the two potentials: *)
      rmin = x /. Flatten[Solve[D[rgas == 0, x]]]
      pmin = x /. Flatten[Solve[D[pgas == 0, x]]]
      tspos = x /. Flatten[Solve[rgas == pgas, x]];
      Print["Transition State in the Gas Phase is at x = ", tspos]
      0
      1
Transition State in the Gas Phase is at x = 0.75
      (* Calculate energies of states and energy differences *)
```

Print["Energy of the Reactant State at the gas phase minimum is ", rgas /. $x \rightarrow rmin$] Print["Energy of the Product State at the gas phase minimum is ", pgas /. $x \rightarrow pmin$] Print["Reaction Energy (Product-Reactant) is ", (pgas /. $x \rightarrow pmin$) - (rgas /. $x \rightarrow rmin$)] Print["Activation Energy (TS-Reactant) is ", (rgas /. $x \rightarrow tspos$) - (rgas /. $x \rightarrow rmin$)]

Energy of the Reactant State at the gas phase minimum is 1 Energy of the Product State at the gas phase minimum is 1.5 Reaction Energy (Product-Reactant) is 0.5 Activation Energy (TS-Reactant) is 0.5625 • Solvent Effect: we first solvate the reactant state and the product stae equally well

```
rsol = rgas - 0.4;
psol = pgas - 0.4;
Plot[{rgas, pgas, rsol, psol}, {x, -2, 2}, PlotRange → {{-2, 2}, {0, 3}},
PlotStyle → {Black, Black, {Thick, Blue}, {Thick, Blue}, Axes → {True, False}]
tspos = x /. Flatten[Solve[rsol = psol, x]];
Print["Transition State in the Solution is at x = ", tspos]
Print["Reaction Energy (Product-Reactant) is ", (psol /. x → pmin) - (rsol /. x → rmin)]
Print["Activation Energy (TS-Reactant) is ", (rsol /. x → tspos) - (rsol /. x → rmin)]
```

```
-2 -1 0 1 2
Transition State in the Solution is at x = 0.75
```

Reaction Energy (Product-Reactant) is 0.5

Activation Energy (TS-Reactant) is 0.5625

• Solvent Effect: we first solvate the reactant state and the product stae equally well

```
rsol = rgas - 0.4;

psol = pgas - 0.8;

Plot[{rgas, pgas, rsol, psol}, {x, -2, 2}, PlotRange \rightarrow {{-2, 2}, {0, 3}},

PlotStyle \rightarrow {Black, Black, {Thick, Blue}, {Thick, Blue}}, Axes \rightarrow {True, False}]

tspos = x/. Flatten[Solve[rsol = psol, x]];

Print["Transition State in the Solution is at x = ", tspos]

Print["Reaction Energy (Product-Reactant) is ", (psol /. x \rightarrow pmin) - (rsol /. x \rightarrow rmin)]

Print["Activation Energy (TS-Reactant) is ", (rsol /. x \rightarrow tspos) - (rsol /. x \rightarrow rmin)]

Print["Activation Energy (TS-Reactant) is ", (rsol /. x \rightarrow tspos) - (rsol /. x \rightarrow rmin)]

\frac{1}{-2} - 1 \qquad 0 \qquad 1 \qquad 2

Transition State in the Solution is at x = 0.55
```

Reaction Energy (Product-Reactant) is 0.1

Activation Energy (TS-Reactant) is 0.3025

Notice that when the solvent preferentially stabilizes the products, the transition state becomes
more reactant like (i.e. the forming N-C bond will be longer and the beaking C-CI bond will be
shorter in the transition state for the Menschutlin reaction.